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A Pneumatically Driven Stewart Platform Used as Fault Detection Device

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Introduction



Product tests:

- quality check
- extensive vibration during usage, shipping test

Test procedure:

- easy to reconfigure test pattern
- build in fault detection

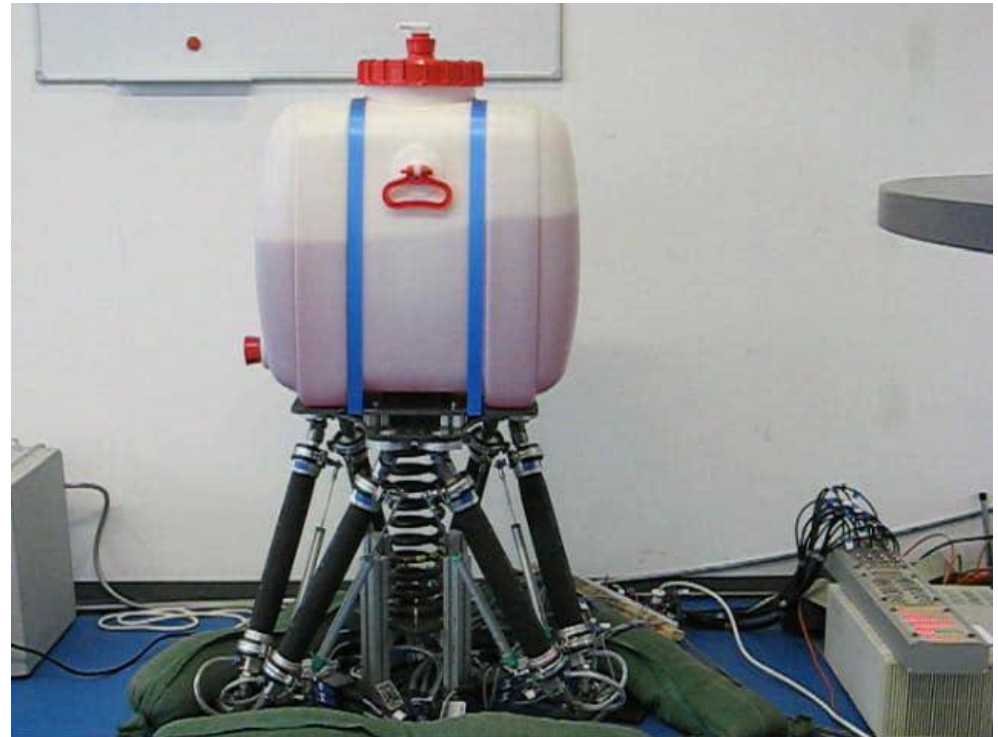
Specification:

Payload max: 300kg

Velocity max: 0.4 m/s

Acceleration: 3g

Frequency: 20 Hz



Design

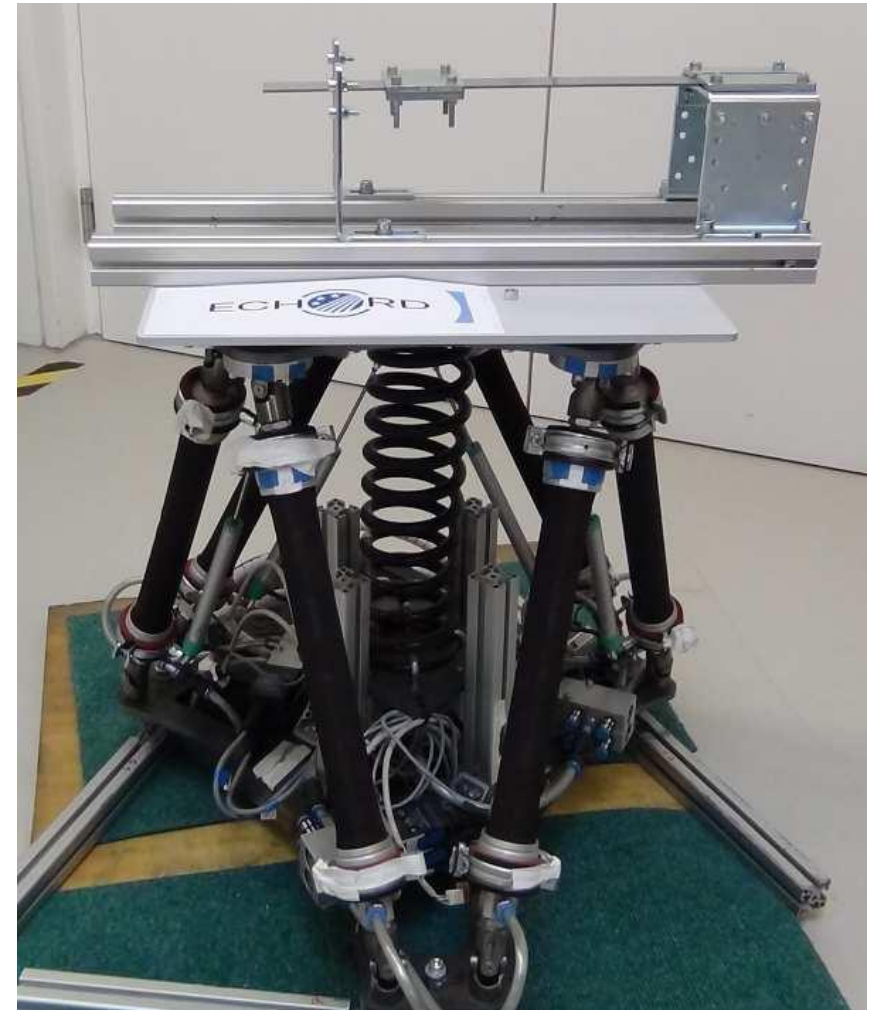
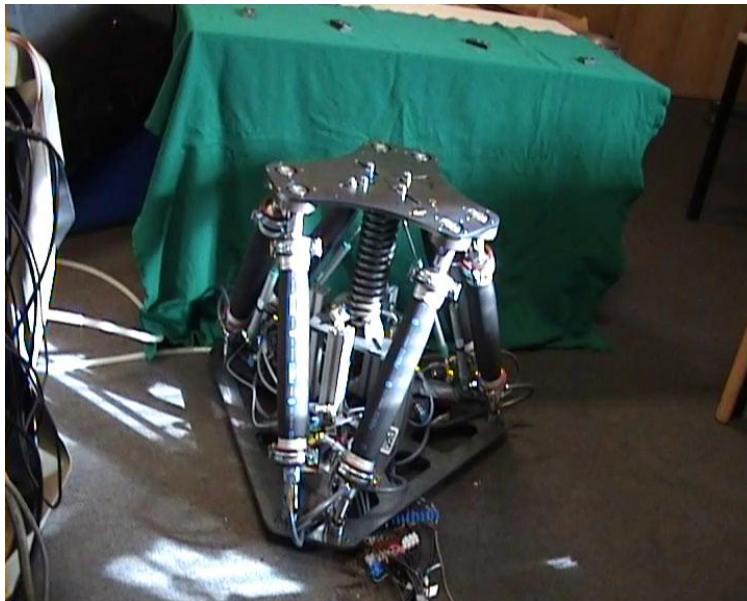


Actuators:

- pneumatic muscles
- mass flow valves
- center spring

Sensors:

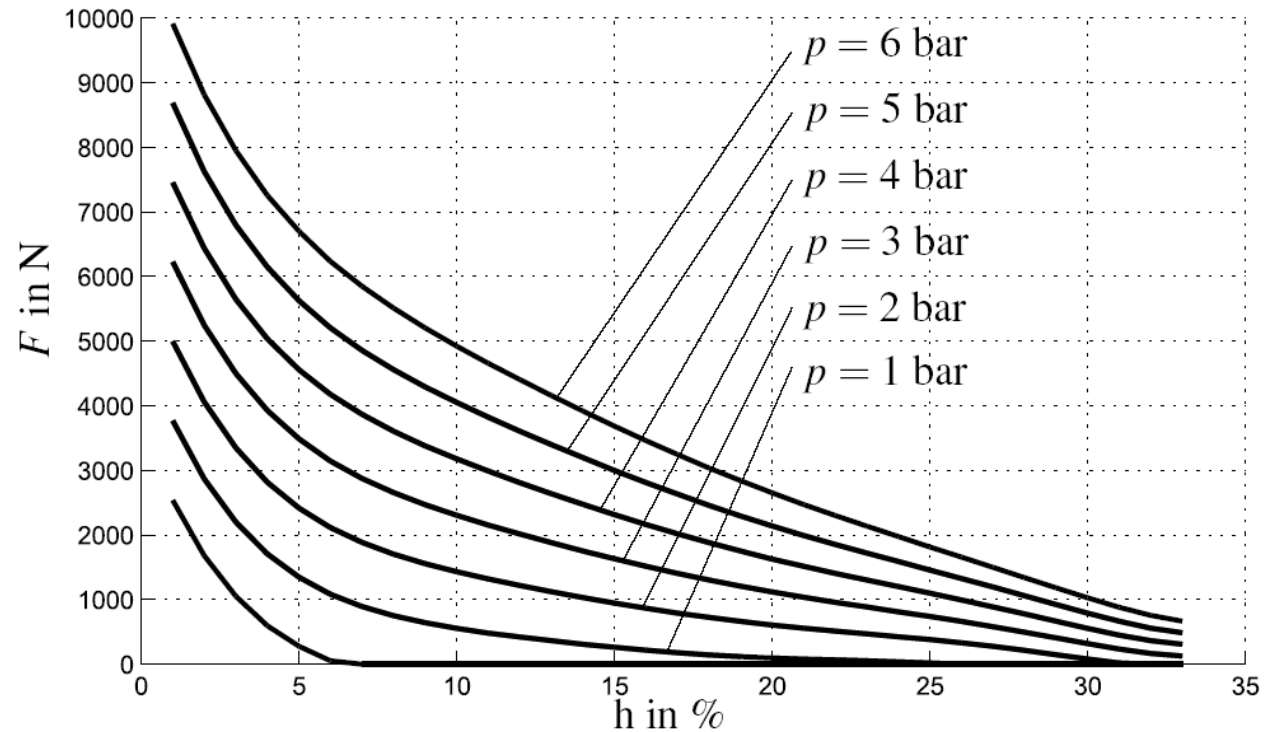
- position sensors
- pressure sensors



Pneumatic muscle



force – stroke – pressure relation



$$h_i = \frac{l_i}{l_0} 100\%$$

contraction of the muscle

Minimal coordinates for point P

$$\mathbf{q}^T = (x \ y \ z \ \alpha \ \beta \ \gamma)$$

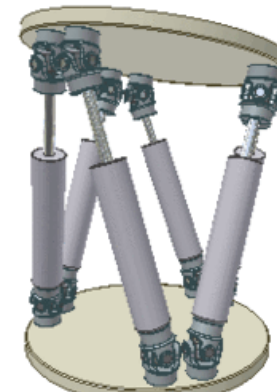
Vector loop for inverse kinematics

$${}^I\mathbf{l}_i = {}^I\mathbf{r}_{OP} + \mathbf{A}_{IK}({}^K\mathbf{b}_i - {}^K\mathbf{r}_{AP}) - {}^I\mathbf{a}_i,$$

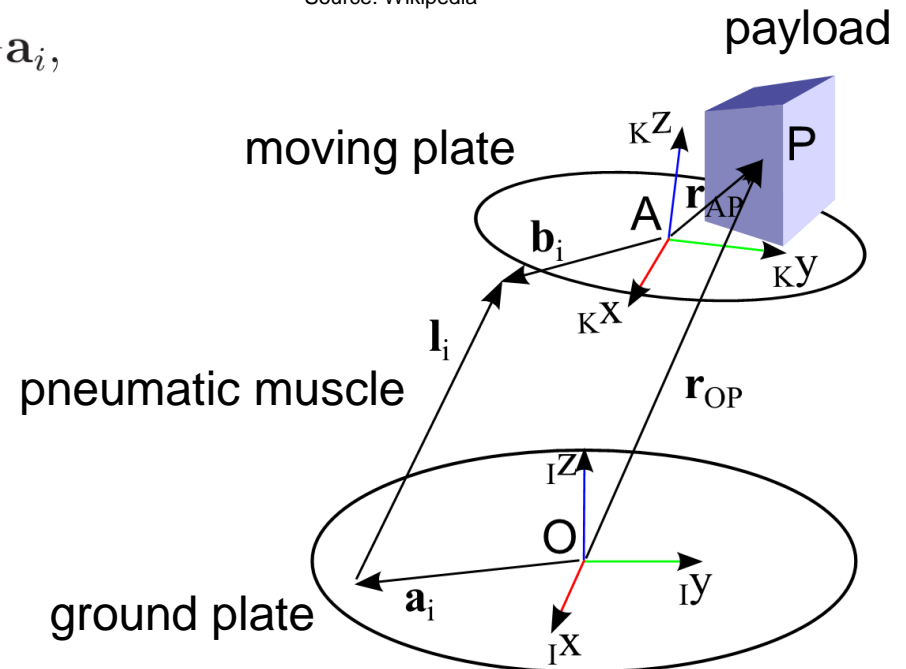
$$l_i = \sqrt{{}^I\mathbf{l}_i^T {}^I\mathbf{l}_i} \quad i = 1..6.$$

Rotation matrix for cardan angles

$$\mathbf{A}_{IK} = \mathbf{A}_{KI}^T = (\mathbf{A}_\gamma \mathbf{A}_\beta \mathbf{A}_\alpha)^T.$$



Source: Wikipedia



Equation of motion

Projection equation

$$\sum_{i=1}^N \left(\left(\frac{\partial_R \mathbf{v}_c}{\partial \dot{\mathbf{q}}} \right)^T \left(\frac{\partial_R \boldsymbol{\omega}_c}{\partial \dot{\mathbf{q}}} \right)^T \right) \begin{pmatrix} {}_R \dot{\mathbf{p}} + {}_R \tilde{\boldsymbol{\omega}}_{IR} {}_R \mathbf{p} - {}_R \mathbf{f}^e \\ {}_R \dot{\mathbf{L}} + {}_R \tilde{\boldsymbol{\omega}}_{IR} {}_R \mathbf{L} - {}_R \mathbf{M}^e \end{pmatrix}_i = \mathbf{Q},$$

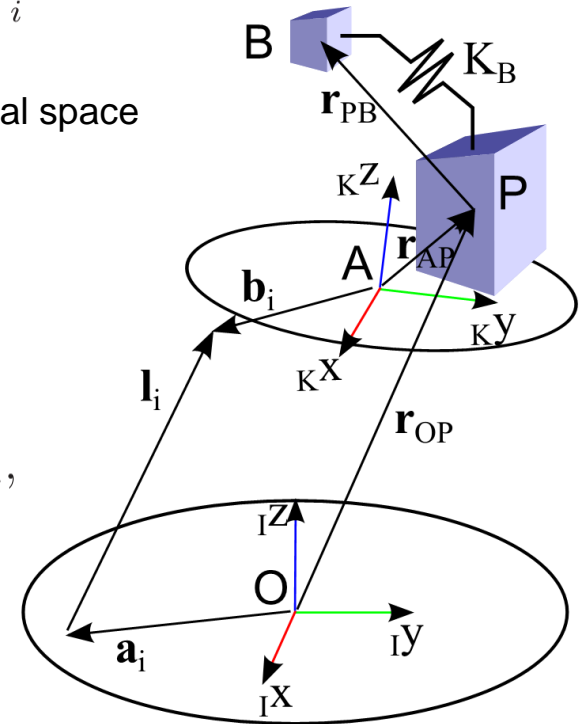
Linear momentum and angular momentum are projected into minimal space
Representation in arbitrary coordinate systems R
Fading out of constrain forces due to the projection

Generalized muscle forces using virtual work

$$\delta W = \delta \mathbf{q}^T \mathbf{Q} = \sum \delta {}_I \mathbf{r}_i^T {}_I \mathbf{F}_i = \sum \delta \mathbf{q}^T \left(\frac{\partial {}_I \mathbf{r}_i}{\partial \mathbf{q}} \right)^T {}_I \mathbf{F}_i,$$

$${}_I \mathbf{F}_i = F_i \frac{{}_I \mathbf{l}_i}{\| {}_I \mathbf{l}_i \|}$$

$$\mathbf{q}^T = (x \ y \ z \ \alpha \ \beta \ \gamma \ u \ v \ w \ \vartheta \ \rho \ \varphi)$$





Dynamics

Generalized spring forces are introduced by the potential

$$V = \frac{1}{2} \mathbf{q}^T \mathbf{K} \mathbf{q}, \quad \text{and calculated to} \quad \mathbf{Q} = - \left(\frac{\partial V}{\partial \mathbf{q}} \right)^T = -\mathbf{K} \mathbf{q}.$$

To account for the damping a Rayleigh function is used

$$R_B = \frac{1}{2} \left(d_{t,xy} (\dot{u}^2 + \dot{v}^2) + d_{t,z} \dot{w}^2 + d_{r,xy} (\dot{\vartheta}^2 + \dot{\rho}^2) + d_{r,z} \dot{\varphi}^2 \right)$$

and calculates to

$$\mathbf{Q} = - \left(\frac{\partial R_B}{\partial \dot{\mathbf{q}}} \right)^T.$$

This results in the equation of motion

$$\mathbf{M}(\mathbf{q}) \ddot{\mathbf{q}} + \mathbf{g}(\mathbf{q}, \dot{\mathbf{q}}) + \mathbf{K} \mathbf{q} = \mathbf{B}(\mathbf{q}) \mathbf{u}$$

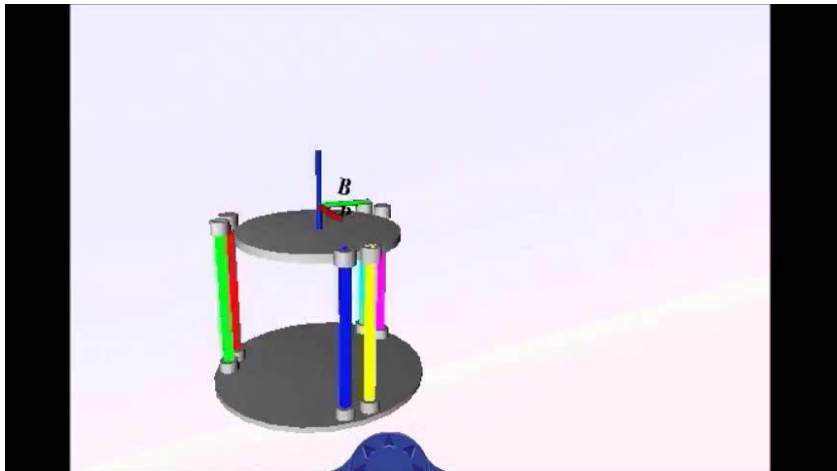
$$\mathbf{u} = \left(F_1 \quad \dots \quad F_6 \right)^T$$

Simulation



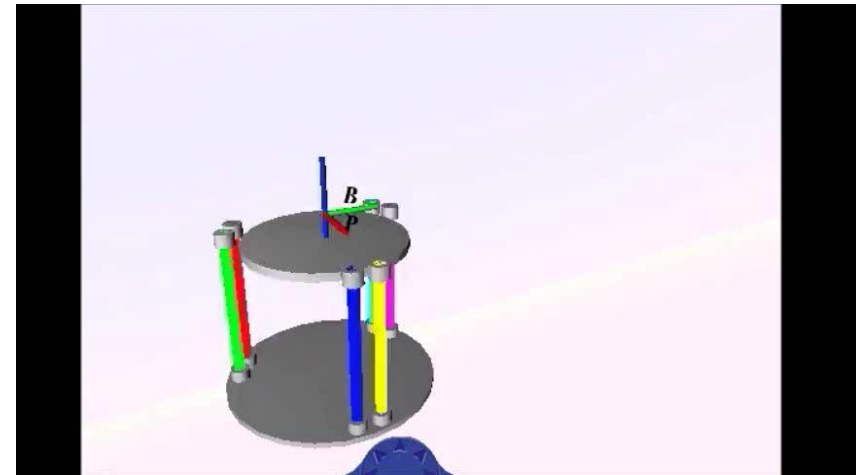
Simulation with Matlab Simulink

part is OK no extra vibrations



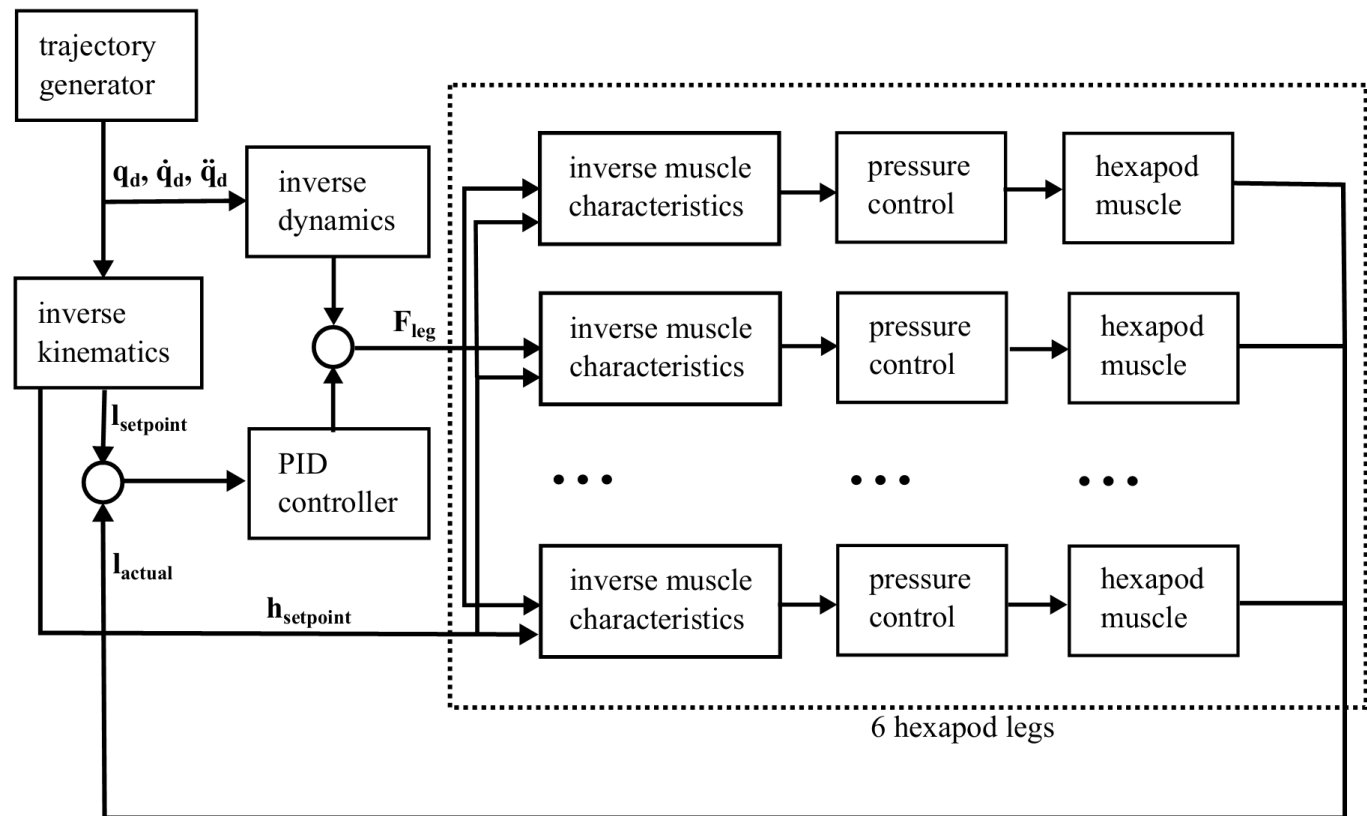
Spring matrix \mathbf{K}_B is stiff

part is NOT OK extra vibrations



Spring matrix \mathbf{K}_B is soft in z direction

linearised feed forward force controller and
a PID position control law



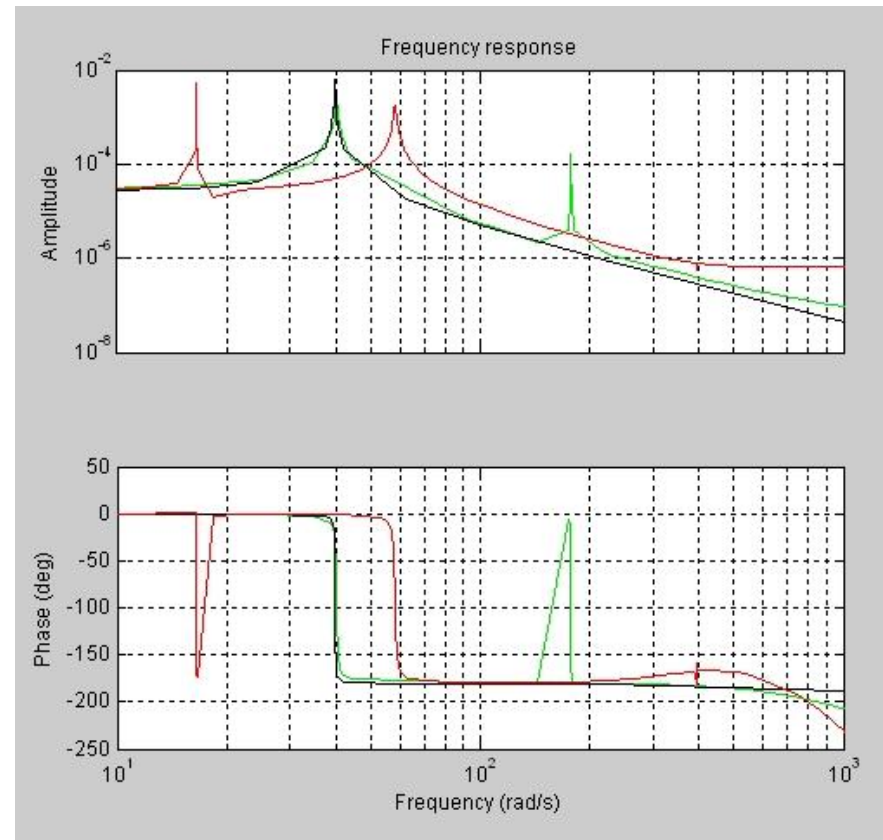
Detection

Method

- Detection of fault parts using bode plots with model identification
- or FFT analysis

Sensitivity

it was possible to detect 0.5% of the overall mass mounted on the plate.



Experiment

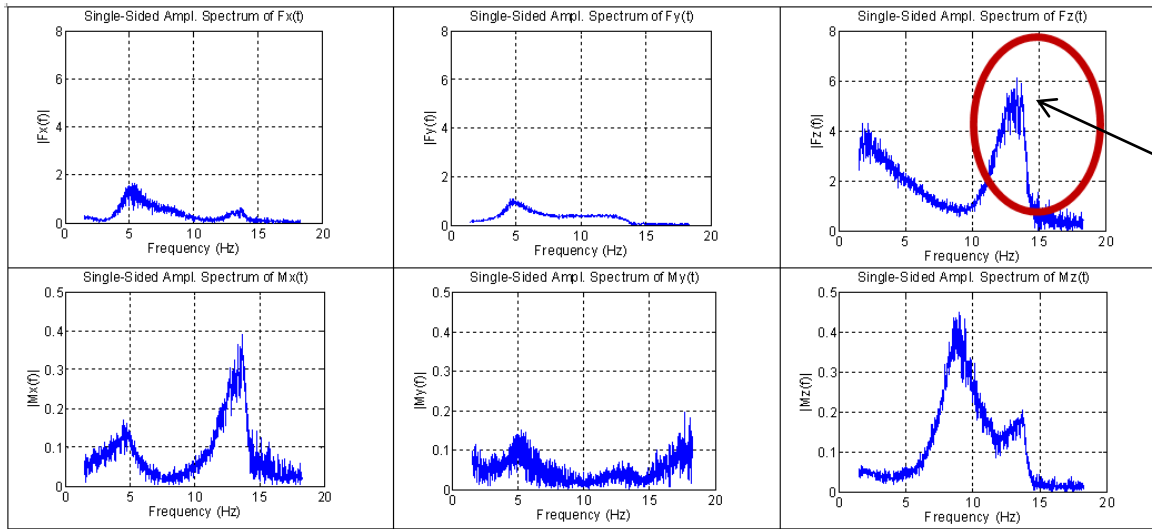


Frequency sweep from 0 to 18Hz in z direction

plate mass: 20kg
beam mass: 0.1kg
vibration mass 0.2kg
resonant frequency: 11Hz



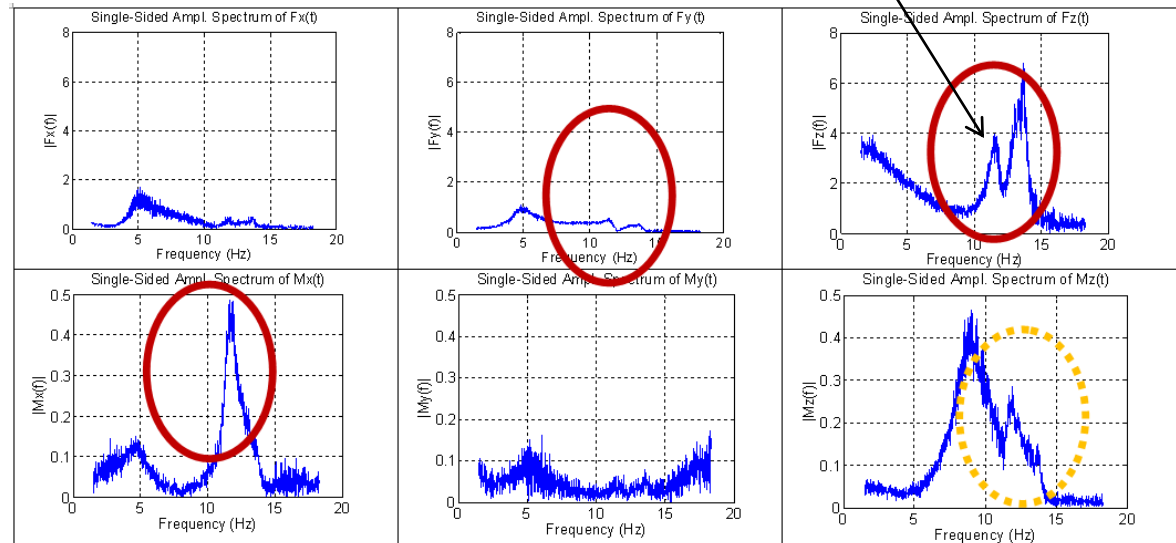
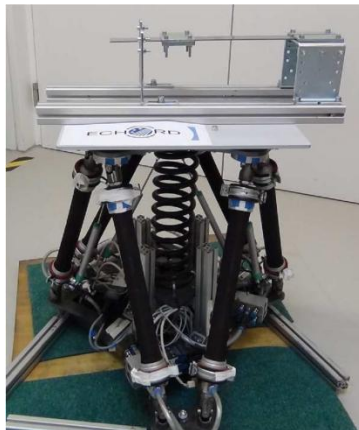
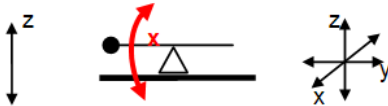
Measurements (FFT)



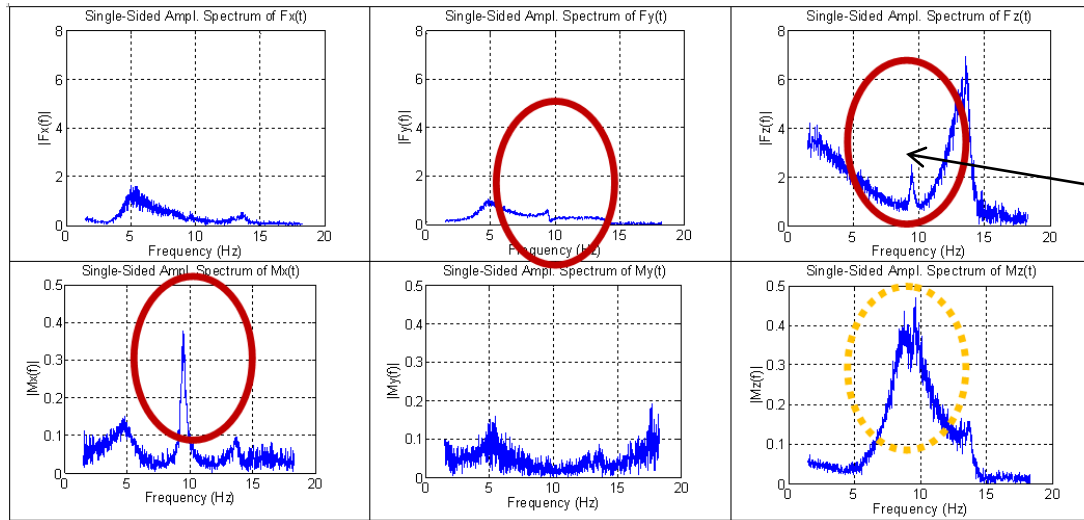
no fault detected,
calibration curve.

Hexapod resonant frequency

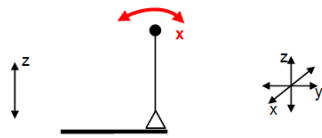
fault resonant frequency



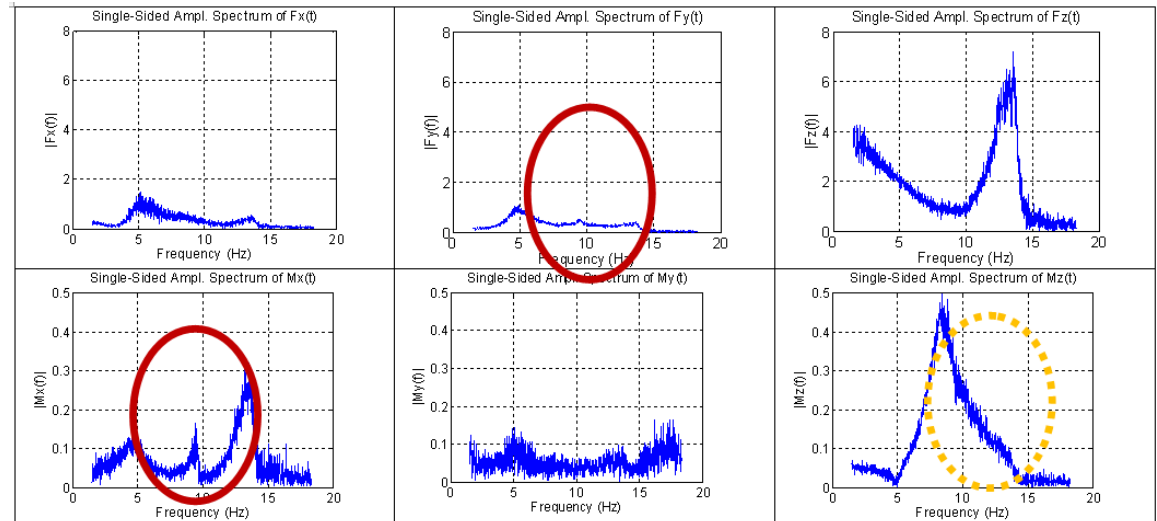
Measurements (FFT)



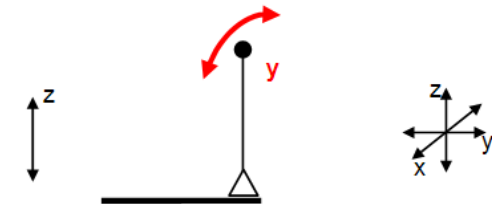
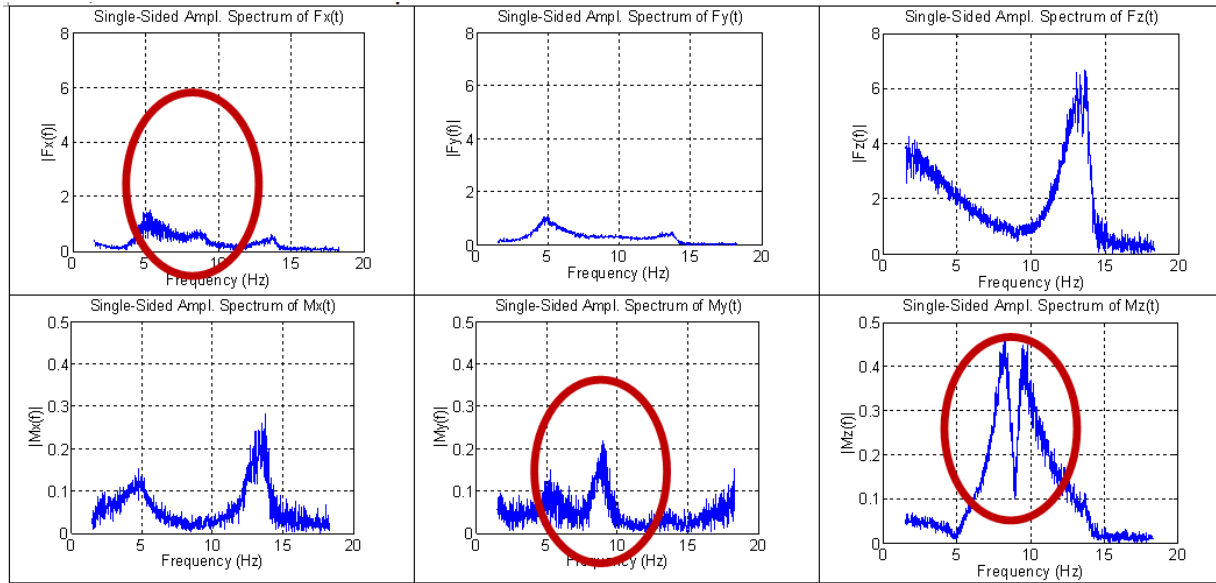
Hexapod resonant frequency shifts to a lower value



- radial movement,
- moment in x direction
 - no peak in z direction
 - no rotation around z axis



Measurements (FFT)



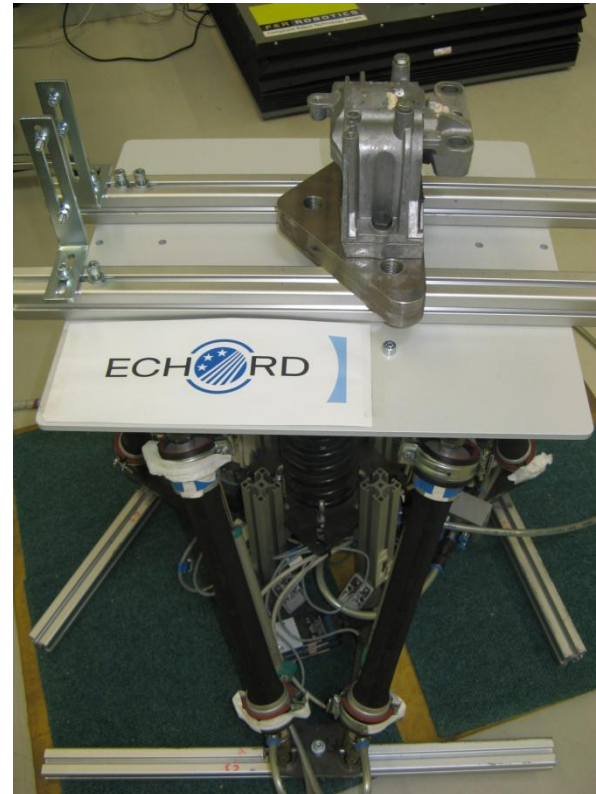
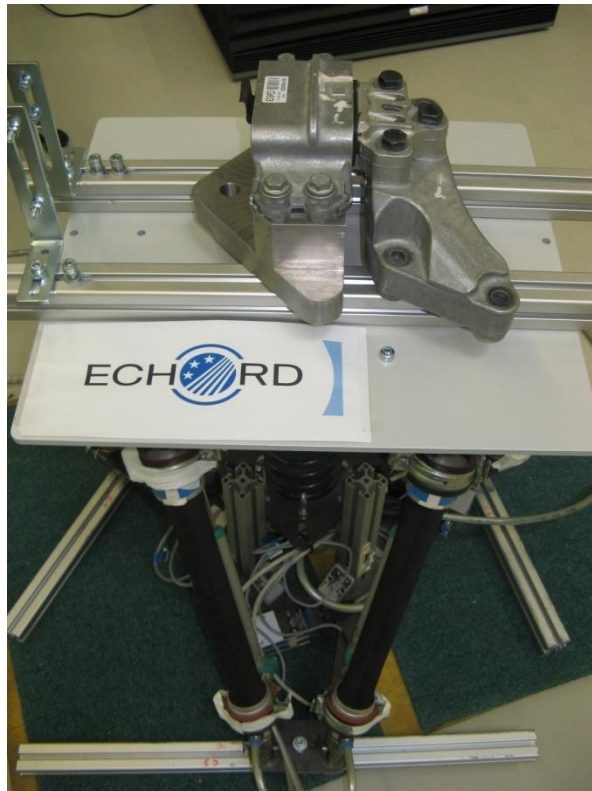
- tangential movement,
- implies a rotation around z axis
 - moment in y direction

Application



Test part automobile industry: motor rubber bearing.

Investigation for changing behavior in the dynamics of the rubber.



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Thank you for your attention!



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